On a Fixed Point Problem Transformation Method
CORRECTIONS AND SUPPLEMENTS

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July 22, 2014

Corrections:

1. *Page 182, line 7 ↓:* (5) If **B** is at most singleton-valued and B has a unique fixed point, ...
2. *Page 182, line 11 ↑:* From part 4.
3. *Page 182, line 8 ↑:* ... we analyse B. From
4. *Page 183, line 14 ↑:* $y_0 = \dots$
5. *Page 183:* delete lines 2,3 ↑.
6. *Replace footnote 6 on page 183 by:* Note that by part 4, the sets $\varphi_i(B_i(y))$ and $\varphi_i(B_i(y'))$ are singletons.
7. *Page 184, line 1 ↓:* 6. By contradiction suppose ...
8. *Page 185, line 9 ↓:* It follows that $\lim_{j\to\infty} (\varphi_i \circ \tilde{R}_i)(y_j - (\varphi_i \circ B_i)(y_j)) = +\infty$. As $\varphi_i \circ \tilde{R}_i$ is bounded, this is
9. *Page 186, line 15 ↓:* ... Proposition 4.2(2) guarantees that
10. *Page 186, line 18 ↓:* 3. In the proof of part 2 we have seen that ...
11. *page 188, line 1 ↓:* ... function $\tilde{R}_i : T_i \to X_i$ is ...
12. *page 188, line 8 ↓:* ... is decreasing and **B** is at most singleton-valued, then ...
13. *page 188, line 10 ↓:* ... (3) If **B** is at most singleton-valued and for every $i \in N$ and ...
14. *page 188, line 15 ↓:* ... 4.3(2) guarantees ...
15. *page 188, line 17 ↓:* ... 4.3(3) guarantees ...

Comments:

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Further reading:

If you think that some other things should be added here, then please let me know.